

# **Emerging User Community in Industrial Mathematics**

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## **1. Industrial mathematics**

"Industrial mathematics focusses on problems which come from industry and aims for solutions which are relevant to industry, including finding the most efficient way to solve the problem." Virginia Postrel, Boston Globe. June 27, 2004

**International Societies:** 

- Society for Industrial and Applied Mathematics (SIAM) The Bulgarian Section of SIAM was established in January 2007. The current Annual Meeting of BG SIAM will take place in Sofia, December 18-19, 2013.
- European Consortium for Mathematics in Industry (ECMI)
- Oxford Center for Computational and Applied Mathematics: Study Groups with Industry (OCCAM SGI).

The European SGI 95 took part in September 23-27, 2013 in Sofia.





European Study Group with Industry'95

http://eegi95.fmi.uni-sofia.bg/



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Organization What is SGI

SGI format For Companies

For academic

participants

Registration

Location

Important dates Problems

> Program Participants

Presentation of

prof. Wil Schilders

European Study Group with Industry'95 (ESGI'95)

September 23 - 27, 2013, Sofia, Bulgaria

#### The 95th European Study Group with Industry

### ESGI'95

September 23 - 27, 2013, Sofia, Bulgaria is organized by

Faculty of Mathematics and Informatics, Sofia University "St. Kliment Ohridski",

in cooperation with

Institute of Information and Communication Technologies, Bulgarian Academy of Sciences,

Institute of Mathematics and Informatics, Bulgarian Academy of Sciences,

and









- **Participants: 50**
- **Problems**:
  - Compressed representation of a partially defined integer function over multiple arguments
  - Estimation of errors in text and data processing
  - Optimization of the charging process in zinchydrometallurgy
  - Mini-Max wallpaper
  - Laboratory calibration of a MEMS accelerometer sensor
  - Prediction of sanding in subsurface hydrocarbon reservoirs
- Support: OCCAM and ECMI
- Official Reprepresentatives:
  - OCCAM: Prof. Hilary Ockendon, Oxford University
  - **ECMI:** Prof. Wil Schilders, TU Eindhoven



## W. Schilders (ECMI)

## "Mathematics and Industry" Forward Look (2011)

 ECMI has played an important role in the Forward Look project on "Mathematics and Industry" organized by the European Mathematical Society and the European Science Foundation

http://www.ceremade.dauphine.fr/FLMI/





## **AComIN SIM'2013**

### **SEMINAR on INDUSTRIAL MATHEMATICS**

### Sofia, December 19, 2013

- 10:30 12:00 AComIn SmarthLab Equipment
- 13:30 14:30 Mathematics as technology: good practices in various industrial applications: Oleg Iliev, Fraunhofer ITWM, Kaiserslautern
- 14:30 15:30 On-going activities in industrial mathematics at IICT
- 15:30 16:30 Panel discussion

Participant from innovative companies are expected to take part in the event, including representatives of national branch chambers and industrial clusters.



## **Fraunhofer ITWM**

Flow and Material Simulation - Fraunhofer-Institut...

http://www.itwm.fraunhofer.de/en/departments/flo...



Home > Departments > Flow and Mandal Simulation

#### Flow and Material Simulation Fraunhofer Institute for Industrial Methematics ITWM



The department of FLOW AND MATERIAL SIMULATION device with the modeling and simulation of had dynamical and structure electic possesses for the optimization of materials and components. One of our main companisms is the efficient summical exclusion of materials and multiphysical polliters occurring in Material Simulation. Our clients are poducers of technical technical exclusion and and plantic processing companies, particularly foundains, as well as subsequent processing branches, such as filter producers and system supplies in the field of accordable inclinically.

#### Competences

Microstructure Simulation and Virtual Material Design



The work within the group of microstructure simulation and visitual instantial design can be summarized by the overall concept of "Sections" " we are developing and mainting enthuse lot the optimization of complex these dimensional geometric elouctures of parcus materials and composites. Excited international sections are applied in the optimization of complex these dimensional geometric elouctures of parcus materials and composites.



The subject Hydrocharances deals with lieves wich are minivant for influstrial as well as for ecological applications. Usually, we have to solve multiply scale problems, party with free surfaces. Further Information



The Complex Placks group deals with therebyical complex that how publisms and analysis of physical complex processes relevant for industrial applications. Our complexences include mathematical physical modeling of material properties and industrial processors as well as development of fast, protect and efficient numerical algorithms for partnering compute simulations of the identified models. Earther informatics



## **IM activities at IICT**



#### Numerical Simulation Of The Cooling Process In A Porous Inert Media Gas Burner Svetozar Margenov, Yavor Vutov Henning Bockhorn, Jordan A. Denev, and Ilian Dinkov Institute of Information and Communication Technologies Engler-Bunte-Institute Karlsruhe Institute of Technology

**Bulgarian Academy of Sciences** 

1. Introduction

The complexity of the domain leads to big discrete prob-Premixed combustion in porous inert media lems. A parallel FEM solver is developed for the simula-(PIM) burners is a promising alternative to the tra- tion. The presented results are obtained on an IBM Blueditional free and swirl-stabilized flames [1, 2, 3]. Gene/P system.

The increased heat recirculation due to solid-solid radiation, solid conduction and dispersion results in considerably higher burning velocities, less User first goal was to obtain effective homogenized heat and the first first for the group SiGC method. The pollutant emissions, higher radiant heating rates. conductivity coefficient for the porous SiSiC material. To do so, we cut a parallelogram piece ( $4.57cm \times 6.09cm \times$ 6.09cm, 192 × 256 × 256 voxels) from the scan (see Fig. 3).

The process of understanding of the physics be- We solve the steady state heat transfer equation:

= 47 was used. Since  $\kappa$  depends nonlinearly on the tem-

porosity  $\kappa_{eff} \kappa / \kappa_{eff}$ 

10% 9.30 5.05

15% 15.66 3.00

20% 18.04 2.61

Table 1. Effective conductivity coefficients

the burner without an external spark.

terest for safety reasons and for the purpose of reigniting obtained (see Fig. 7 and Fig. 8).

hind the combustion phenomenon in PIM faces challenging difficulties due to problems with op-

Characterized and the randomness of PIM. There ity of a solid SiSiC material. Dirichlet boundary condi-tion accessibility, the complexity of the phenom- where T is the temperature and  $\kappa$  is the heat conductiv-ena involved and the randomness of PIM. There ity of a solid SiSiC material. Dirichlet boundary condifore, continuous research is necessary in the areas tion (BC) of 800 °C is put on one of the sides of the piece fore, continuous research is necessary in the artest ion (BC) of 800° C is put on one of the space of the space of the opposite one. Our do-of fluid mechanics and heat transfer within PIM and Dirichlet BC of 820° C – on the opposite one. Our do-This time the computational domain contains and PIM property data. The burner investigated main consisted *only* of the SiSiC material extracted from is made of a porous Siliconized Silicon Carbide the CT scan. We use the finite element method (FEM) whole cylindric SiSiC burner is reconstructed in the computer space of the computer of the space of the computations. The space of the view of the space of th

#### Geometry

**Geometry** The computational domain consists of a porous SiSC material and gas phase. A computed to-mography (CT) scan of the SiSC porous mate-Fig. 2). The scan was performed at the Institute Fig. 2). The scan was performed at the Institu Radim Blaheta and his group for the CT scans.  $\kappa_{eff} = |\phi| \frac{1}{dT}$ 



Fig. 1. Slice of the SiSiC scan



Fig. 2. 3D reconstruction of CT scan

### with linear tetrahedral elements for the computations. The Whole Cymrune out of the symmetry (see finite element mesh is obtained directly from the voxel Fig. 4).

Fig. 3. Temperature field in a SiSiC cut

coefficient: $a = \kappa/(\rho c)$ ,  $\rho$  is the material density, ent radii and times. The azimuthally aver-(2)  $\kappa$  — its thermal conductivity and *c* is its specific aged values are shown.

800

sors on 256 compute nodes. Sample parti- [5] Lawrence Livermore

tion took 3 hours. Timestep was chosen to be 5s and 21 timesteps were performed for perature for the SiSiC material, of particular interest is the where  $m_{air} = 0.011 [kg/s]$  is the air flowing rate be 5s and 21 timesteps were performed for

Fig. 4. Reconstructed porous burner





Fig 7. Initial temperature in PIM



Fig 8. Average temperatures (3) For the time discretization backward Euler References

> [1] I.Dinkov, M. Bauer, H. Boc gung 2012 des KIT-Zentrum Energie, Karlsruhe, Ger-many (2012)

[2] I. Dinkov, C. Bedova, N. Zarzalis, H. Bockhorn, 3D d media. 3. An

[3] I.Dinkov, H. Bockhorn, Nume

8th SIAM conference on Parallel Pri

to compute the effective conductivity coefficient  $\kappa_{eff},$  heat. where with  $\phi$  is denoted the averaged heat flux, with dT A volumetric heat sink for the gas-phase only is The computations were performed on an — the temperature difference and dx is the thickness of the prescribed. This heat sink accounts for the coolpiece. Ing velocity and ane there is a matching the cool-ing effect of non-burning air flowing through the cool-In Table 1 are shown the obtained effective conductivity for porous media during the cool-down process. It is and in the cool-three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three specimens with different porosity (obtained by a constraint) and any three

three specimens with different porosity (obtained via seg- is computed from the following equation:  $S = -m_{air}c(T)(T(x_{i+1},t) - T(x_i,t))/Vol_{x_i}$ , (4) tioning is shown on Fig. 5. The computa-

> through our experimental setup at Engler-Bunte a total simulation time of 105 seconds. institute, x is the radius cylindrical coordinate of the point;  $T(x_i, t)$  is the azimuthal temperature  $\overline{\mathfrak{S}}$ average with radius  $x_i$  at time T, and  $Vol_{x_i}$  is the volume of the gas phase in the cylinder between  $x_i$  and  $x_{i+1}$ . Density of the solid is  $3150[kg/m^3]$ ,

its specific heat is 800[j/(kg.K)]. SiSiC heat conductivity coefficient is interpolated from values We use the 3D finite element method to simulate the cool- in a table (see Fig. 6). Gas heat conductivity coing process of a stopped porous burner. The flammabil- efficient  $\kappa_g$  is 0.025 [w/(m.K)], Gas density and





### $\checkmark$ $\mu$ -FEM analysis of combustion in porous inert media (PIM)

The computational domain consists of a porous SiSiC material and gas phase. A computed tomography (CT) scan of the SiSiC porous material is used to obtain the geometry.



Microstructure geometry of the PIM burner

