

## Theory of Controlled Impacts

Stanislav Gyoshev

*Institute of Information and Communication Technologies, 1113 Sofia*  
Emails: [stanislavgyoshev@mail.bg](mailto:stanislavgyoshev@mail.bg)

**Abstract:** *In this paper are presented research on the theory of a new kind of impact - controlled impact which is obtained using industrial rocket engine for driving of impact machines (hammers). Elastic and elastic-plastic deformation of impacting bodies are considered. It is shown that in elastic deformation with a controlled impact can be achieved  $e > 1$ . In the case of elastic-plastic deformation is derived a formula for determining the rebound force.*

**Keywords:** controlled impact, rocket engine, rocket engine trust, impact force, impact velocity, rebound force, impact machines

### 1. Introduction

In controlled impact are obtained the following effects:

- the impact force is the sum of two forces: the force  $P_{i,0}$  obtained in ordinary impact and rocket engine trust  $R$ ;
- the rocket engine trust  $R$  can be changed previously (before the impact) or during impact;

- if the rebound force  $P_{RB}$  is known the trust  $R$  can be adjusted in advance so that  $R > P_{RB}$ . In this case will obtain impact without rebound (sticking impact); when rocket engine trust  $R$  it is possible to reach different impact speed  $V_i$  in field of low velocity ( $V_i = 5 - 9$  m/s) and of high velocity ( $V_i = 12 - 20$  m/s) impact. [6]

## 2. Controlled impact parameters

In **Fig. 1.** are presented theoretical diagrams of impact force change in controlled impact. It can be seen that if  $R > P_i$  : (i) impact without rebound is obtained; (ii) in the impact time  $t_i$  the impact device works as a combination of impact and hydraulic machines. This means that the effect of dynamic load is reduced at the expense of increase the static load which change the work conditions and improves the durability of the machines and tools. [3]

The parameters of controlled impact are:

*impact speed at vertical movement down*

$$V_i = \sqrt{2gH\left(\frac{R}{m_1} + 1\right)} \quad (1)$$

*impact speed in inclined to the horizontal plane at an angle  $\alpha$  movement*

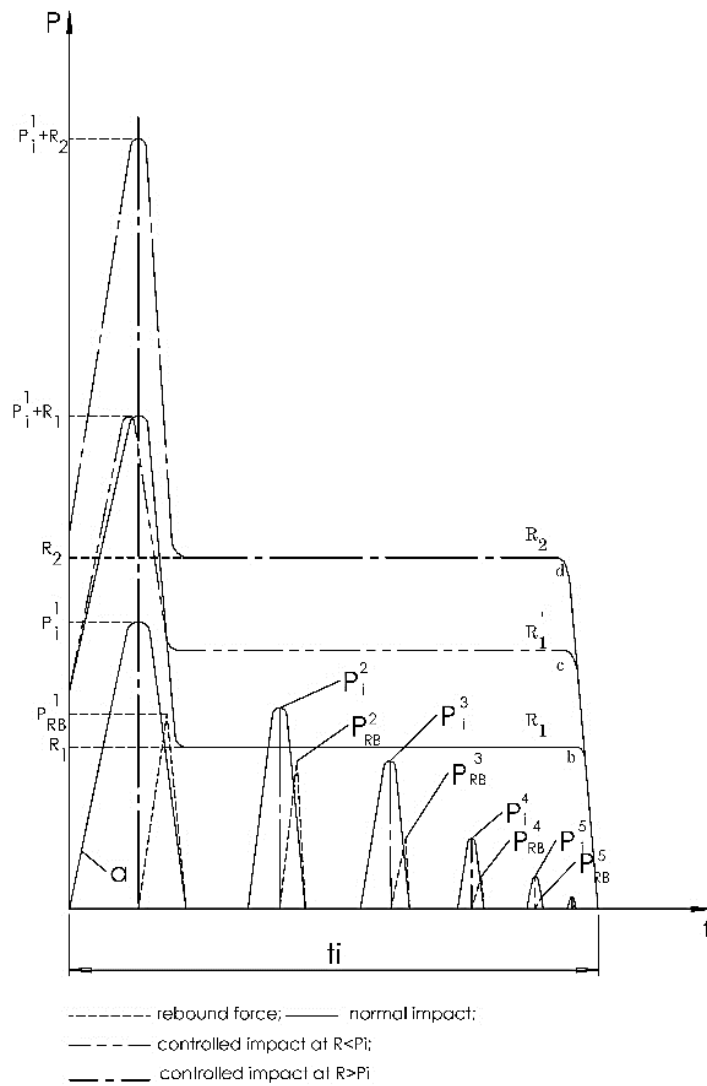
$$V_{i,\alpha} = \sqrt{2gH\left(\frac{R}{m_1} + \sin\alpha\right)} \quad (2)$$

*impact speed at vertical movement upwards*

$$V_{i,-} = \sqrt{2gH\left(\frac{R}{m_1} - 1\right)} \quad (3)$$

*impact force*

$$P_{i,c} = P_{i,o} + R \quad (4)$$



**Fig. 1.** Theoretical diagrams of impact force  $P_i$  and rebound force  $P_{RB}$  change in controlled impact:

- - - - rebound force  $P_{RB}$  in ordinary impact;
- impact force  $P_i$  in ordinary impact (curve a); impact force in controlled impact when: —  $R=R_1 < P_i^1, R_1 < P_{RB}^1$  (curve b),
- - - - impact force in controlled impact when  $R=R_1' < P_i^1, R_1' > P_{RB}^1$  (curve c);
- - - - impact force in controlled impact when  $R=R_2 \geq P_i^1$  (curve d)

For determination of the rebound force at controlled impact consider the case of die forging hammer. This machines realize deformation of high temperature metal which is presented as elastic - plastic medium. If we denote by  $m_1$ ,  $m_2$  masses of anvil and ram; with  $v_1$ ,  $v_2$  impact speeds, with  $u_1$ ,  $u_2$  rebound speeds of anvil and ram and take into account that  $v_1 = 0$ , from (3) we get

$$e = \frac{u_2 - u_1}{-v_2} \quad (5)$$

and for  $u_1$  is obtained

$$u_1 = u_2 + v_2 e \quad (6)$$

The impact energy  $E_i = m_2 v_2^2 / 2$  is used up on [1], [2]: deformation of the work-piece ( $E_d$ ); elastic deformation of the dies and the machine ( $E_{el}$ ); friction in die and machine guide elements ( $E_f$ ); for overcome of the air drag ( $E_{ar}$ ); for spring back of the ram ( $E_m$ ); for spring back of the anvil ( $E_a$ ), i.e.

$$E_i = E_d + E_{el} + E_f + E_{ar} + E_m + E_a. \quad (7)$$

The impact efficiency  $\eta_i$  is

$$\eta_i = \frac{E_d}{E_i}.$$

Then  $E_d = \eta_i E_i$ , and after substitution in (13) we have

$$(1 - \eta_i) E_i = E_{el} + E_f + E_{ar} + E_m + E_a. \quad (8)$$

The value of  $(E_a + E_m)$  is very large in comparison with value of  $(E_{el} + E_f + E_{ar})$  which may be ignored and (2.20) becomes

$$(1 - \eta_i) E_i = E_m + E_a$$

or

$$(1 - \eta_i) \frac{m_2 v_2^2}{2} = \frac{m_2 u_2^2}{2} + \frac{m_1 u_1^2}{2}. \quad (9)$$

After substitution of (2.18) in (2.21) we have

$$(1 - \eta_i)m_2v_2^2 = m_2u_2^2 + m_1(u_2 + v_2e)^2 \quad (10)$$

and after transformation of (10) it is received

$$(m_1 + m_2)u_2^2 + 2m_1ev_2u_2 + v_2^2(m_1e^2 + \eta_i - m_2) = 0 \quad (11)$$

This quadratic equation in relation the unknown ram rebound speed  $u_2$  has solution

$$u_{2(1,2)} = \frac{2m_1ev_2 \pm \sqrt{(2m_1ev_2)^2 - 4(m_1 + m_2)v_2^2(m_1e^2 + \eta_i - m_2)}}{4(m_1 + m_2)} \quad (12)$$

or

$$u_{2(1,2)} = \frac{v_2 \left\{ m_1e \pm \sqrt{m_2^2(1 - \eta) + m_1m_2(1 - \eta - e^2)} \right\}}{2(m_1 + m_2)} \quad (13)$$

After substitution of (1) in (13) it is received that:

$$u_{2(1,2)} = \frac{\sqrt{2gH \left( \frac{R}{m_2} + 1 \right)} \left\{ m_1e \pm \sqrt{m_2^2(1 - \eta) + m_1m_2(1 - \eta - e^2)} \right\}}{2(m_1 + m_2)} \quad (14)$$

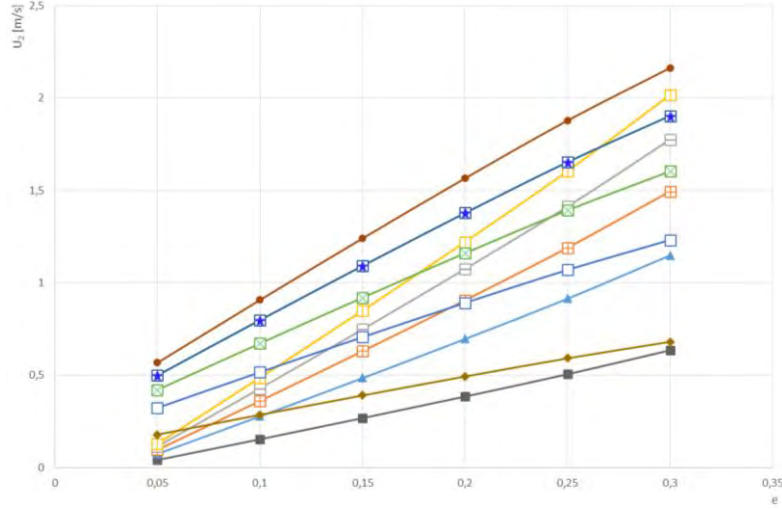
It is not clear which of solutions  $u_{2,1}(+)$   $u_{2,2}(-)$  is true. In **Fig.2** the values of  $u_{2,1}$  and  $u_{2,2}$  for:

- H = 1 m; g = 9.81 m/s<sup>2</sup>;
- R = 500 kg, 1000 kg, 1500 kg, 2000 kg;
- $m_1 = 22000$  kg;  $m_2 = 220$  kg;
- $\eta = 0.9$  (maximum value of  $\eta$ );
- $e = 0.5; 0.1; 0.15; 0.2; 0.25; 0.3$ .

From **Fig. 2** it that the differences between  $u_{2,1}$  and  $u_{2,2}$  are greatest in the small values of the coefficient of restitution. With increasing of  $e$  these differences are reduced and for  $e = 0.3$  are very small. This may be explained by an increase in the elastic component of deformation upon cooling of the deformed medium. [4, 5]

Taking into account that the height of fall  $H$  is the traveled down ram path  $S$  the equation (14) is written in the form:

$$u_{2(1,2)} = \frac{\sqrt{2gS\left(\frac{R}{m_2} + 1\right)} \left\{ m_1 e \pm \sqrt{m_2^2(1-\eta) + m_1 m_2(1-\eta - e^2)} \right\}}{2(m_1 + m_2)} \quad (15)$$



**Fig. 2.** Diagram for  $u_2(e, R)$  as a solution of equation (2.26):

$$u_{2,1}(+) \quad \text{---} \blacklozenge \text{---} R=0 \quad \text{---} \square \text{---} R=500 \quad \text{---} \square \text{---} R=1000 \quad \text{---} \square \text{---} R=1500 \quad \text{---} \bullet \text{---} R=2000 ;$$

$$u_{2,2}(-) \quad \text{---} \blacksquare \text{---} R=0 \quad \text{---} \blacktriangle \text{---} R=500 \quad \text{---} \square \text{---} R=1000 \quad \text{---} \square \text{---} R=1500 \quad \text{---} \square \text{---} R=2000$$

If we replace

$$A = 2g\left(\frac{R}{m_2} + 1\right) ; \quad B = \frac{m_1 e \pm \sqrt{m_2^2(1-\eta) + m_1 m_2(1-\eta - e^2)}}{2(m_1 + m_2)},$$

equation (15) is transformed to

$$u_2 = B\sqrt{AS} \quad (16)$$

The rebound acceleration  $a_{RB}$  is

$$a_{RB} = \frac{dV_{RB}}{dt} = \frac{du_2}{dt} = \frac{BA}{2\sqrt{AS}} \cdot \frac{dS}{dt} \quad (17)$$

Taking into account that

$$\frac{dS}{dt} = V_i = \sqrt{2gS\left(\frac{R}{m_2} + 1\right)} = \sqrt{AS}$$

for  $a_{RB}$  is received

$$a_{RB} = \frac{BA}{2} \quad (18)$$

and for  $P_{RB}$  is received

$$P_{RB} = m_2 a_{RB} = \frac{m_2 BA}{2} = \frac{g(R + m_2) \left\{ m_1 e \pm \sqrt{m_2^2(1-\eta) + m_1 m_2(1-\eta - e^2)} \right\}}{2(m_1 + m_2)} \quad (19)$$

Formula (19) is used to determine the magnitude of the thrust  $R$  of the engine to be operated in accordance with curves b, c, d of **Fig. 1**. The possibility of a preliminary choice of change of the impact force  $P_i$  for the time of impact  $t_i$  gives basis for setting this mode of operation as a "controlled impact". When adjusting the engine to operate in accordance with the curve "c" of **Fig. 1** ( $R > P_{RB}$ ) it is received impact without rebound (sticking impact), leading to big improvement of the durability of the dies and of the machine. In this case a greater plastic deformation of the billet for one impact, resulting in decreasing of the processing time.

It can be seen from (19) that rebound force  $P_{RB}$  depends on: rocket engine thrust  $R$ ; masses  $m_1, m_2$ ; efficiency  $\eta_i$ ; coefficient of restitution  $e$

$$P_{RB} = f(R, m_1, m_2, \eta_i, e) \quad (20)$$

Taking into account that

$$\eta_i = \frac{m_1}{(m_1 + m_2)} (1 - e^2) \quad (21)$$

for each machine  $m_1, m_2$  are constant, and for given  $R$  from (20), (21) is obtained

$$P_{RB} = f(e) \quad (22)$$

## CONCLUSION

A theoretical analysis of the behavior of banging bodies in a controlled impact shows that this impact can be achieved effects that can not be realized in a simple impact:

- Impact of elastic bodies can be achieved recovery ratio is  $> 1$ ;
- Impact of elastic-plastic bodies can be achieved without impact rebound. A prerequisite for this is to know the strength of the bounce  $R_{ots}$  to be able to choose the thrust of a rocket motor  $R$  must be  $R \geq R_{ots}$ . Displayed formula for determining  $R_{ots}$ , in the case of hammer for bulk stamping powered industrial rocket engine.

## ACKNOWLEDGMENTS

This work has been supported by Program for career development of young scientists, Grant No 94/2016.

## REFERENCES

- [1] Hamouda, A. M. S. *Effect of energy losses during an impact event on the dynamic flow stress.* – *Journal of Material Processing Technology*, 2002, 124, 209-215.
- [2] Chuan-Yu Wu, Long-Yuan Li, Colin Thornton. *Energy dissipation during normal impact of elastic and elastic-plastic spheres.* – *International Journal of Impact Engineering*, 2005, 32, 593-604.
- [3] L Doukowska, D. Karastoyanov, N. Stoimenov, I. Kalaykov., *Inter Criteria Decision Making Approach for Iron Powder Briquetting.*, *Fifth International Symposium on Business Modeling and Software Design, BMSD'15*, 5-9 July 2015, Milan, Italy, pp 292-295, ISBN 978-989-758-111-3
- [4] Penchev T., D. Karastoyanov., *Experimental Study of Upsetting and Die Forging with Controlled Impact.*, *International Conference on Manufacturing Science and Engineering (ICMSE'14)*, 17-18 April 2014, Lisbon, Portugal, published in: *International Science Index Vol: 08 No: 04 Part IV*, eISSN 1307-6892, pp 529-533
- [5] Karastoyanov D., V. Kotev, T. Penchev., *Forging Process Control by Additional Rocket Force.*, *International Journal of Emerging Technology and Advanced Engineering*, Vol. 4(8), August 2014, pp. 297-306, ISSN 2250–2459
- [6] Иванов Вл., Е. Паунова- “Разработка на управляващи устройства с препрограмуеми прибори” десета национална младежка научно-практическа сесия, София, 23-25 април, 2012 стр.89-91,ISSN 1314 0698

## Теория управляемых ударов

Станислав Гьошев

Институт информационных и коммуникационных технологий, 1113 София

### Резюме

В данной работе представлены исследования по теории нового вида воздействия - контролируемое воздействие, которое получается с помощью промышленного ракетного двигателя для приведения в движение ударных машин (молотки). Рассматриваются упругая и упруго-пластическая деформация тел. Показано, что при упругой деформации с контролируемым воздействием может быть достигнуто  $e > 1$ . В случае упруго-пластической деформации была выведена формула для определения отскока силы.